

1 Part

Assume that the following commands have been entered in the Matlab command window:

```
>> clear

>> test(1).A = 4;
>> test(1).B = [1, 2];
>> test(2).A = 6;
>> test(2).B = [4, 5];

>> pad = [1, 2, 3;...
          4, 5, 6;...
          7, 8, 9];

>> primes = [2, 3, 5, 7, 11, 13];
```

Write down the output of the following commands:

(2) 1. >> primes(test(1).A)

ans = _____

(2) 2. >> primes([test.A])

ans = _____

(3) 3. >> pad([test.A])

ans = _____

(3) 4. >> pad(1:2,2)=test(2).B'

pad = _____

2 Part

Assume that the following Matlab statements have been executed

```
>> clear all
>>A = [-1 0 3];
>>B = [0 0 1];
>>C = [1 1 0];
```

Write the output after the following statements are executed:

(2) 1. >> (C & A) | B

ans= _____

(2) 2. >> (C | A) & B

ans= _____

(2) 3. >> C(A>B)

ans= _____

3 Part

Below are two 7-line blocks of code. Given a scalar value for the variable x , each code assigns a corresponding scalar value to the variable y .

Code 1	Code 2
<pre>if x < 5 y = 2* x; elseif x < 10 y = x; else y = 10; end</pre>	<pre>if x < 10 y = x; elseif x < 5 y = 2* x; else y = 10; end</pre>

These two blocks of code do not produce the same results for all values of x .

- (3) 1. Determine a value of x for which the two codes produce the same value of y .

$x =$ _____

- (3) 2. Determine a value of x for which the two codes will not produce the same value of y .

$x =$ _____

4 Part

(8) Write a function called `find_num`, which has the following syntax and properties:

Syntax: `n = find_num(A,b)`

- If `A` is a vector or a matrix and `b` is a scalar, `find_num(A,b)` returns the number of elements of `A` that are equal to `b`.
- For example,

```
>> find_num([3 7 9; 1 2 7],7)
ans = 2
```

When writing your function, you must comply with the following instructions:

- (i) The function must have at most 4 lines of code, including the function declaration (it is not acceptable to concatenate multiple lines of code, using several `;`'s or `,`'s).
- (ii) You must use the `sum` function, which is described in the bottom section of this page.

Answer:

```
function n = find_num(A,b)
```

The function `sum` has the following syntax and properties:

Syntax: `n = sum(A)`

- If `A` is either a row or a column vector, `sum(A)` returns the sum of the elements of `A`.
- If `A` is a matrix, `sum(A)` treats the columns of `A` as vectors, returning a row vector of the sums of each column.
- For example,

```
>> sum([3 7 9; 1 2 7])           >> sum([ 1 ; 2 ; 3])
ans = 4      9      16           ans = 6
```

5 Part

Consider the following function `test`:

```
function g = test(a,b)
while b ~=0
    r = rem(a,b);
    a=b;
    b=r;
end
g = a;
```

Write the output of the following:

(5) 1. `>> test(36,40)`

`ans =` _____

(5) 2. `>> test(test(15,5),3)`

`ans =` _____

The function `rem` has the following syntax and properties:

Syntax: `R = rem(X,Y)`

- `rem(X,Y)` returns the remainder after the division of `X` by `Y`.
- Examples:

```
>> rem(3,2)
ans = 1
```

```
>> rem(2,3)
ans = 2
```

```
>> rem(2,0)
ans = NaN
```

```
>> rem(4,2)
ans = 0
```

6 Part

Write the output after running the following scripts.

(3) 1.

```
a=0;
for k= 7:5,
    a=a+k;
end
a
```

ans= _____

(3) 2.

```
a=0;
for k= 7:-1:5,
    a=a+k;
end
a
```

ans= _____

(4) 3.

```
A=[4 5;7 6];
B = zeros(2,2);

for k=1:2,
    for m = 1:2,
        B(m,k) = A(k,m);
    end
end
B
```

ans= _____

7 Part

John, Bob, and Joe own lemonade stands. Each went to the same store, and made the following purchases to get inventories for their stands:

- John spent D_1 dollars and purchased:

S_1 pounds of sugar
 L_1 pounds of lemons
 W_1 gallons of water

- Bob spent D_2 dollars and purchased:

S_2 pounds of sugar
 L_2 pounds of lemons
 W_2 gallons of water

- Joe spent D_3 dollars and purchased:

S_3 pounds of sugar
 L_3 pounds of lemons
 W_3 gallons of water

- (5) 1. Let x_1 , x_2 and x_3 respectively denote the unit price per pound of sugar and lemons and gallon of water. Write the three equations that determine the amounts D_1 , D_2 and D_3 respectively spent by John, Bob and Joe.

ANS: _____

- (2) 2. The 3 equations above can be written in matrix form:

$$Ax = b,$$

where A is a 3×3 matrix, and x and b are the 3×1 vectors. Clearly identify all element of the matrix A , and the vector b .

$$A = \begin{bmatrix} & & \\ & & \\ & & \end{bmatrix} \quad x = \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} \quad b = \begin{bmatrix} \\ \\ \end{bmatrix}$$

(Continues on the next page)

- (2) 3. Write a Matlab command that you would use to determine the vector \mathbf{x} , which solves $\mathbf{A} \mathbf{x} = \mathbf{b}$, assuming that the matrix \mathbf{A} and the vector \mathbf{b} have been defined.

>> _____

- (2) 4. Issue a one-line Matlab command that produces a logical true if the exact solution of the equation $\mathbf{A} \mathbf{x} = \mathbf{b}$ exists AND is unique, and false otherwise.

>> _____